

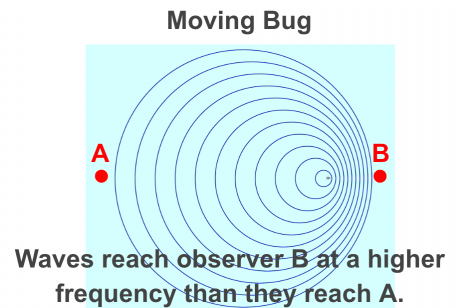
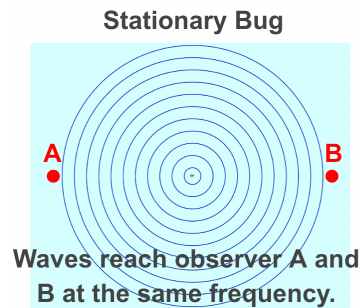
## The Doppler Effect Lesson Notes

### Learning Outcomes

- What is the Doppler effect?
- Why does the Doppler effect occur?
- What are the mathematics of the Doppler effect?

### Disturbing Bugs

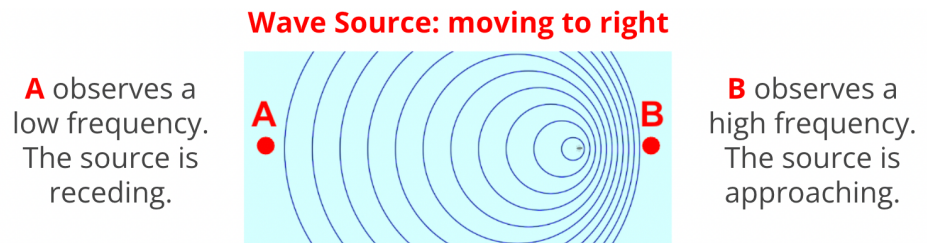
The Doppler effect is observed when a wave source is moving with respect to an observer. The observed effect depends on whether the wave source is moving towards or away from the observer.



### The Doppler Effect

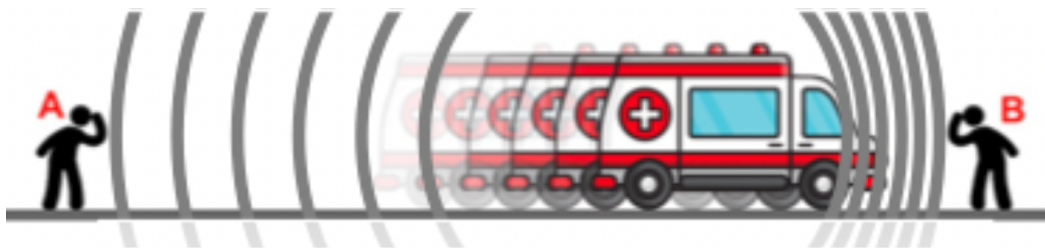
The **Doppler Effect** is the effect produced when *a source of waves is moving with respect to an observer*, causing ...

- an apparent upward shift in frequency for observers towards whom the source is approaching, and
- an apparent downward shift in frequency for observers from whom the source is receding.



### The Doppler Effect ... Explained

- Since the ambulance is moving rightward, each successive wave has its center positioned at a location that is closer to the observer B.
- The distance such waves need to travel to reach observer B is less than the distance to reach observer A.
- With less distance to travel to reach observer B, those waves reach observer B at a higher frequency than they reach observer A



## Doppler Equation Moving Source

The observed frequency ( $f_{\text{observed}}$ ) can be calculated if the speed of the waves ( $v_{\text{wave}}$ ), the speed of the wave source ( $v_{\text{source}}$ ) and the frequency at which the source generates waves ( $f_{\text{source}}$ ) are known.

$$f_{\text{observed}} = \frac{f_{\text{source}}}{1 \pm (v_{\text{source}} / v_{\text{wave}})}$$

In denominator:

Use - if source is approaching observer. Use + if source is receding from observer

## Moving Source Example Problem

An ambulance traveling at 28 m/s has a siren that produces a 750 Hz sound wave that travels through air at 340 m/s. Determine the frequency a stationary person observes as it approaches and as it recedes.

**Approaching ambulance:**

$$f_{\text{observed}} = \frac{750 \text{ Hz}}{1 - (28 \text{ m/s} / 340 \text{ m/s})} = \frac{750 \text{ Hz}}{0.917647...} = \mathbf{817 \text{ Hz}} \text{ (~820 Hz)}$$

Observes higher freq.

**Receding ambulance:**

$$f_{\text{observed}} = \frac{750 \text{ Hz}}{1 + (28 \text{ m/s} / 340 \text{ m/s})} = \frac{750 \text{ Hz}}{1.082352...} = \mathbf{693 \text{ Hz}} \text{ (~690 Hz)}$$

Observes lower freq.

## Doppler Equation – Moving Observer

The observed frequency ( $f_{\text{observed}}$ ) can be calculated if the speed of the waves ( $v_{\text{wave}}$ ), the speed of the observer ( $v_{\text{observer}}$ ) and the frequency at which the source generates waves ( $f_{\text{source}}$ ) are known.

$$f_{\text{observed}} = f_{\text{source}} \cdot \left(1 \pm \frac{v_{\text{observer}}}{v_{\text{wave}}}\right)$$

Inside parenthesis:

Use + if observer is approaching the source. Use - if observer is receding from source.

## Moving Observer Example Problem

A malfunctioning horn on a parked car is emitting sound waves with a frequency of 625 Hz. What frequency would you observe as you approach and recede from the parked car at a speed of 24 m/s? Sound waves travel at 345 m/s.

**Observer Approaches Sound Source:**

$$f_{\text{observed}} = 625 \text{ Hz} \cdot \left(1 + \frac{24 \text{ m/s}}{345 \text{ m/s}}\right) = 625 \text{ Hz} \cdot (1 + 0.06956...) = \mathbf{668 \text{ Hz}} \text{ (~670 Hz)}$$

Observes higher freq.

**Observer Recedes from Sound Source:**

$$f_{\text{observed}} = 625 \text{ Hz} \cdot \left(1 - \frac{24 \text{ m/s}}{345 \text{ m/s}}\right) = 625 \text{ Hz} \cdot (1 - 0.06956...) = \mathbf{582 \text{ Hz}} \text{ (~580 Hz)}$$

Observes lower freq.